

Discussion of
The Option Market's Anticipation of Information
Content in Earnings Announcements

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Placement in Literature

Studies of the options market and earnings events

- *First moment studies*: Do options help the stock market discover the directional effect of earnings news?
 - Jennings and Starks (1986); Skinner (1990); Ho (1993); Amin and Lee (1997); Mendenhall and Fehrs (1999); Truong and Corrado (WP 2009)
- *Second moment studies*: Do options anticipate the price volatility of earnings news?
 - Patell and Wolfson (1981); Pan and Poteshman (2008)
- *This study*: Do options anticipate the sensitivity of stock prices to a unit of earnings news?

$$AIC = OPTPRC / STDEV$$

Necessary to test sensitivity?

Necessary to test OPTPRC and STDEV together rather than separately?

Depends on objective

- Makes sense if we want a firm- and time-specific *ex ante* ERC
 - Makes less sense if we want to understand the *sophistication of the option market*
 - Only the AIC numerator (OPTPRC) reflects activity in the option market
 - *Alternative Specification*
OPTPRC = f(Persistence, Growth Prospects, etc., STDEV)
- Treat STDEV as a covariate rather than as a scalar.

What is $\text{Corr}(\text{OPTPRC}, \text{STDEV})$?

- Fundamental assumption behind $\frac{\text{OPTPRC}}{\text{STDEV}}$:

The numerator is increasing in the denominator

- Additional statistics reported to me by authors:
 - AIC sample: $\text{Corr}(\text{OPTPRC}, \text{STDEV}) = -0.06$ (significant)
 - CS sample: $\text{Corr}(\text{OPTPRC}, \text{STDEV}) = 0.009$ (insignificant)
- Suggests that option prices are not “sensitive” to STDEV of analyst forecasts
- Unclear what is achieved by scaling one by the other

Why are the AIC numerator and denominator uncorrelated?

Possible explanation: Measurement Error in

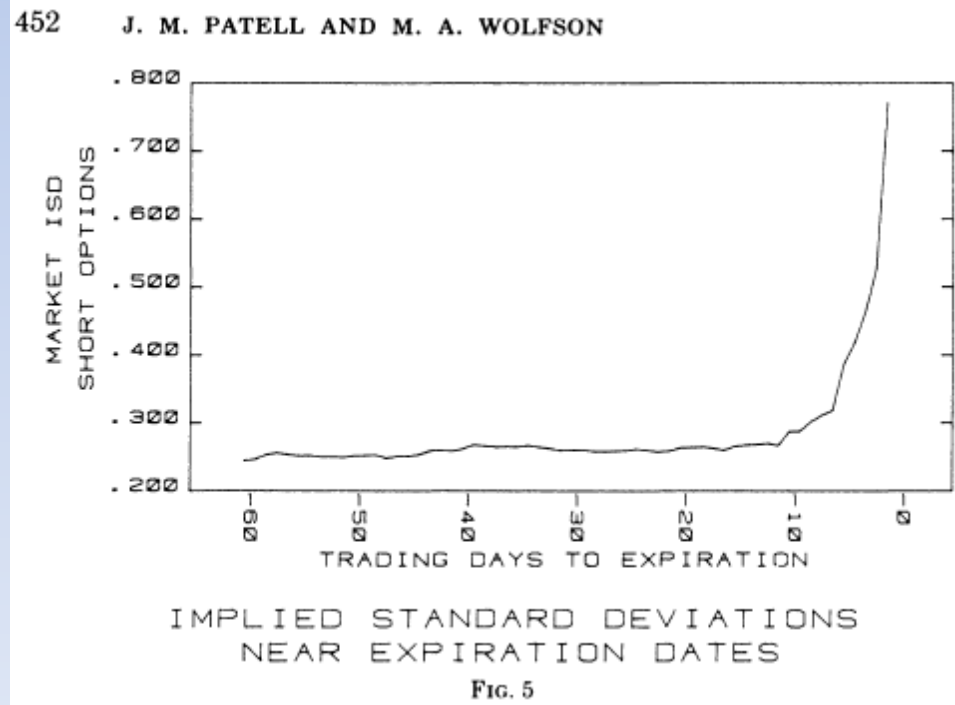
- OPTPRC as a proxy for the option market's $E(|\Delta P \text{ at EA}|)$
- STDEV as a proxy for $E(|\text{Forecast Error}|)$

OPTPRC as proxy for $E(|\Delta P \text{ at EA}|)$

Source of measurement error #1:

Strange option pricing near expiration

- Patell and Wolfson (1981) find that implied σ 's rise to unrealistic levels near end of option's life
- Suggests these option prices yield poor estimates of $E(|\Delta P|)$



OPTPRC as proxy for $E(|\Delta P \text{ at EA}|)$

Source of measurement error #2:

Violation of authors' assumptions

- In footnote 5, the authors argue that OPTPRC closely varies with $E(|\Delta P \text{ at EA}|)$ if the option
 - A. Is at-the-money
 - B. Expires immediately after the earnings announcement day
- But many options in the sample do not meet these conditions
 - A. Options can be in- or out-of the money by 5 percent
 - B. Options can expire up to 20 days after the earnings announcement

OPTPRC as proxy for $E(|\Delta P \text{ at EA}|)$

A. Effect of not being at-the-money

Assume:

Stock price = \$50

$\sigma = .50$

Time to expiration = 1 day

OPTPRC of call option if

Strike price = \$50 (at the money): \$0.52

Strike price = \$47.50 (95% of stock price): \$2.52

OPTPRC as proxy for $E(|\Delta P \text{ at EA}|)$

B. Effect of not expiring until several days after EA

Assume:

Stock price = Strike price = \$50

Expected σ during 1-day announcement window = .50

Expected σ after announcement window = .30

Hull and White (1987): σ can be approximated as the expected average volatility over the option's remaining life (T days)

$$\sigma_0^2 = \frac{\sum_{t=1}^T E(\sigma_t^2)}{T} = \frac{E(\sigma_{EA}^2 + \sigma_2^2 + \sigma_3^2 + \dots + \sigma_T^2)}{T}$$

If T=1, then $\sigma=.50$

If T=20, then $\sigma=.31$

OPTPRC of call option expiring

- immediately after earnings announcement (T=1, $\sigma=.50$): \$0.52
- in 20 days (T=20, $\sigma=.31$): \$1.50

Fix for AIC Numerator

- Using the binomial option pricing model, can derive a direct approximation for $E(|\Delta P|)$ for options close to expiration:

$$(P_0 e^{\sigma_0 \sqrt{T/365}} - P_0) \Pr(P \uparrow) + (P_0 - P_0 e^{-\sigma_0 \sqrt{T/365}}) \Pr(P \downarrow)$$

- So $E(|\Delta P| \text{ at EA}) =$

$$(P_0 e^{E(\sigma_{EA}) \sqrt{1/365}} - P_0) \Pr(P \uparrow) + (P_0 - P_0 e^{-E(\sigma_{EA}) \sqrt{1/365}}) \Pr(P \downarrow)$$

- To simplify, could assume $\Pr(P \uparrow) = \Pr(P \downarrow) = .5$
- How to estimate $E(\sigma_{EA})$?

$$\sigma_0^2 = \frac{\sum_{t=1}^T E(\sigma_t^2)}{T} = \frac{E(\sigma_{EA}^2 + \sigma_2^2 + \sigma_3^2 + \dots + \sigma_T^2)}{T}$$

Assume: $E(\sigma_2^2) = E(\sigma_3^2) = \dots = E(\sigma_T^2) = \sigma_{Normal}^2$

$$\sigma_0^2 = \frac{E(\sigma_{EA}^2) + (T - 1)\sigma_{Normal}^2}{T}$$

$$E(\sigma_{EA}^2) = T\sigma_0^2 - (T - 1)\sigma_{Normal}^2$$

STDEV as proxy for $E(|FC \text{ Error}|)$

- *Authors*: Good proxy, because $\text{Corr}(\text{STDEV}, |SURPRISE|) = .54$
- I agree, as long as the authors want AIC to predict an *empirically measured* ERC.
 - That is, STDEV predicts the SURPRISE that a *researcher* would use in a standard ERC study:
SURPRISE = IBES actual – IBES consensus forecast
- STDEV does not predict the market's true underlying forecast error related to total earnings news:
 - $\text{Corr}(\text{STDEV}, |\text{Realized Returns}|) = -0.04$ (significant)
 - $\text{Corr}(\text{STDEV} / P, |\text{Realized Returns}|) = 0.03$ (significant)
- OK if AIC is meant to predict empirically observed ERCs

Predicting Empirical ERCs

- **Key trait missing from AIC**
 - 45% of firm-quarter ERCs are negative
 - Why use a predictor that is always positive?
- **More specifics about uses of AIC**
 - Can already compute actual firm-quarter ERCs (Chevis and Sommers 2007)
 - When would we need a predicted firm-quarter ERC instead of the actual?
 - Even if a predicted ERC is needed, is AIC the best predictor?
 - Alternatives
 - The prior firm-quarter ERC
 - A firm ERC estimated from a regression of prior quarters
 - (Last qtr's $|\Delta P|$ at EA) / (This qtr's STDEV)

Other Suggestions

- Make denominator $STDEV * (2/\pi)^{1/2}$
 - This would be **E(|FC Error|)** itself, if analyst forecasts are normally distributed
 - Would ease interpretation of AIC
- Tabulated analyses should use IBES *unadjusted* file
- Do standard errors adjust for lack of independence across observations?
 - There are an average of 2 observations for each *firm-quarter*

Summary

- Is the paper about
 1. Developing a predicted ERC for research purposes?
 2. Sophistication of the option market?
- If #2, then focus on $E(|\Delta P|)$, not $E(|\Delta P|) / \text{STDEV}$
- If #1, provide more specifics about potential uses
 - AICs do not have key traits of ERCs
 - Numerator is uncorrelated with denominator
 - AICs can never be negative, but almost half of firm-quarter ERCs are negative
 - Is AIC the best predictor of ERCs?

Thank you!